## Color Image Processing II

## Outline

- Color fundamentals
- Color perception and color matching
- Color models
- Pseudo-color image processing
- Basics of full-color image processing
- Color transformations
- Smoothing and sharpening


## Pixel depth

- Pixel depth: the number of bits used to represent each pixel in RGB space
- Full-color image: 24-bit RGB color image
- $(\mathrm{R}, \mathrm{G}, \mathrm{B})=(8$ bits, 8 bits, 8 bits $)$



## Safe RGB colors

- Subset of colors is enough for some application
- Safe RGB colors (safe Web colors, safe browser colors)

| Number System | Color Equivalents |  |  |  |  |  |
| :--- | :--- | :--- | :---: | :---: | :---: | :---: |
| Hex | 00 | 33 | 66 | 99 | CC | FF |
| Decimal | 0 | 51 | 102 | 153 | 204 | 255 |

TABLE 6.1
Valid values of each RGB
component in a safe color.
$(6)^{3}=216$

## Safe RGB color (cont.)



Full color cube


Safe color cube

## CMY model (+Black = CMYK)

- CMY: secondary colors of light, or primary colors of pigments
- Used to generate hardcopy output

$$
\left[\begin{array}{c}
C \\
M \\
Y
\end{array}\right]=\left[\begin{array}{l}
1 \\
1 \\
1
\end{array}\right]-\left[\begin{array}{l}
R \\
G \\
B
\end{array}\right]
$$



## Why black ink is used?




## HSI color model

- Can you describe a color precisely using its R, G, B components?
- Human describe a color by its hue, saturation, and brightness
- Hue 色度: color attribute
- Saturation: purity of color (white->0, primary color->1)
- Brightness: achromatic notion of intensity


## HSI color model (cont.)

## - RGB -> HSI model



Colors on this triangle Have the same hue


## HSI model: hue and saturation



## HSI model



## HSI component images



## Exercise\#1: HSI

- x=imread(‘lily.tif');
- $\mathrm{x}(:,:, 1)$ is R component
- x( $(,, 2,2)$ is G component
- $\mathrm{x}(:,:, 3)$ is B component


Exercise:

1. Apply color transform, rgb2hsv, show the H, S, V component
2. Apply rgb2hsv to your RGB circles image in exercise\#2

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## Pseudo-color image processing

- Assign colors to gray values based on a specified criterion
- For human visualization and interpretation of gray-scale events
$\int \_$Intensity slicing
- Gray level to color transformations


## Intensity slicing

- 3-D view of intensity image



## Intensity slicing (cont.)

## - Alternative representation of intensity slicing



Gray levels

## Intensity slicing (cont.)

- More slicing plane, more colors


Gray levels

## Application 1



Radiation test pattern

$\longrightarrow 8$ color regions * See the gradual gray-level changes

## Application 2



X－ray image of a weld
焊接物

## Application 3



## 



Rainfall statistics


## Exercise\#2: Gray to color transformations

- b=imread('blocks.tif');
- imshow(b, colormap( jet(256) ));
- colorbar

Exercise: Try any other 2 colormaps
See doc colormap

## Gray level to color transformation

- Intensity slicing: piecewise linear transformation

- General Gray level to color transformation



## Gray level to color transformation



FIGURE 6.23 Functional block diagram for pseudocolor image processing. $f_{R}, f_{G}$, and $f_{B}$ are fed into the corresponding red, green, and blue inputs of an RGB color monitor.


## Combine several monochrome images

Example: multi-spectral images


Washir


Near Infrared (sensitive to biomass)

## Color slicing

- Recall the pseudo-color intensity slicing



## Color slicing

- How to take a region of colors of interest?

Sphere region
prototype color

Cube region

prototype color

cube
sphere

## Matlab: Color slicing

## - Exercise\#3: Get strawberry image

- Perform the color slicing using the cubic region. Cubic slicing is shown as follows:


Prototype color ( $a_{1}, a_{2}, a_{3}$ )
$=(175,41,49)$
Original pixel's color ( $r_{1}, r_{2}, r_{3}$ )
New pixel's color ( $s_{1}, s_{2}, s_{3}$ )
$\left(s_{1}, s_{2}, s_{3}\right)=\left(r_{1}, r_{2}, r_{3}\right)$
if $\left|r_{1}-a_{1}\right|<w \&\left|r_{2}-a_{2}\right|<w \&\left|r_{3}-a_{3}\right|<w$
$\left(s_{1}, s_{2}, s_{3}\right)=(127,127,127)$ otherwise

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## Color pixel

- A pixel at ( $x, y$ ) is a vector in the color space
- RGB color space

$$
\mathbf{c}(x, y)=\left[\begin{array}{l}
R(x, y) \\
G(x, y) \\
B(x, y)
\end{array}\right]
$$

c.f. gray-scale image

$$
f(x, y)=I(x, y)
$$

## Example: spatial mask



## How to deal with color vector?

- Per-color-component processing
- Process each color component
- Vector-based processing
- Process the color vector of each pixel
- When can the above methods be equivalent?
- Process can be applied to both scalars and vectors
- Operation on each component of a vector must be independent of the other component


## Two spatial processing categories

- Similar to gray scale processing studied before, we have to major categories
- Pixel-wise processing: color transformation
- Neighborhood processing: smoothing and sharpening filtering


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## Color transformation

- Similar to gray scale transformation - $g(x, y)=T[f(x, y)]$
- Color transformation

$$
s_{i}=T_{i}\left(r_{1}, r_{2}, \ldots, r_{n}\right), \quad i=1,2, \ldots, n
$$

output vector input vector


## Use which color model in color transformation?

- RGB $\Leftrightarrow$ CMY $(K) \Leftrightarrow$ HSI
- Theoretically, any transformation can be performed in any color model
- Practically, some operations are better suited to specific color model


## Example: modify intensity of a color image

- Example: $g(x, y)=k f(x, y), \quad 0<\mathrm{k}<1$
- HSI color space
- Intensity: $\mathrm{s}_{3}=\mathrm{k} \mathrm{r}_{3}$
- RGB color space
- For each R,G,B component: $s_{i}=k r_{i}$
- CMY color space
- For each C,M,Y component: $s_{i}=k r_{i}+(1-k)$

Processing results are the same. Which operations is the fastest?


Original image


## $\mathrm{k}=0.7$ (reduce intensity)



## Problem of using Hue component



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## Color image smoothing

- Neighborhood processing



## Color image smoothing: averaging mask

$$
\begin{array}{cr}
\overline{\mathbf{c}}(x, y)=\frac{1}{K} \sum_{(x, y) \in S_{x y}} \mathbf{c}(x, y) & \text { vector processing } \\
\downarrow & \begin{array}{l}
\text { Neighborhood } \\
\text { Centered at ( } \mathrm{x}, \mathrm{y} \text { ) }
\end{array} \\
\overline{\mathrm{c}}(x, y)=\left[\begin{array}{ll}
\frac{1}{K} \sum_{(x, y) \in S_{x y}} R(x, y) \\
\frac{1}{K} \sum_{(x, y) \in S_{x y}} G(x, y) \\
\frac{1}{K} \sum_{(x, y) \in S_{x y}} B(x, y)
\end{array}\right] & \text { per-component processing }
\end{array}
$$



## Example: 5x5 smoothing mask

## Smooth each component in RGB model

## Smooth I in HSI model

## difference


a b c
FIGURE 6.40 Image smoothing with a $5 \times 5$ averaging mask. (a) Result of processing each RGB component image. (b) Result of processing the intensity component of the HSI image and converting to RGB. (c) Difference between the two results.

## Exercise\#4: Smoothing color image

- Download lena_RGB.tif
- Smoothing with $10 x 10$ average filter in - RGB domain
- HSI domain (smoothing intensity only)

