## III\|\|DIN|Unit Hydrographs Ch-7 (Streamflow Estimation)

Transforming the Runoff from Rainfall

## Unit Hydrograph Theory

$\square$ Moving water off of the watershed...
$\square$ A mathematical concept (based on linearity)
$\square$ Linear in nature

## Some History behind Unit Hydrograph Theory

$\square$ Sherman - 1932(first to propose the concept of 'Unit Hydrograph')
$\square$ Horton - 1933
$\square$ Wisler \& Brater - 1949-"the hydrograph of surface runoff resulting from a relatively short, intense rain, called a unit storm."
$\square$ The runoff hydrograph may be "made up" of runoff that is generated as flow through the soil (Black, 1990).

## Unit Hydrograph Components

$\square$ Duration
$\square$ Lag Time
$\square$ Time of Concentration
$\square$ Rising Limb
$\square$ Recession Limb (falling limb)
$\square$ Peak Flow
$\square$ Time to Peak (rise time)
$\square$ Recession Curve
$\square$ Separation

$\square$ Base flow

## Methods of Developing UH's

$\square$ From Streamflow Data
$\square$ Synthetically

- Snyder (for CEE4420 - just know the formula for calculating lag and concentration times that are in the Gupta book
- SCS
- Time-Area (Clark, 1945)
$\square$ "Fitted" Distributions


## Unit Hydrograph

$\square$ The hydrograph of direct runoff that results from 1-inch (or 1 unit) of excess precipitation spread uniformly in space and time over a watershed for a given duration.
$\square$ The key points :
$\checkmark$ 1-inch of EXCESS precipitation
$\checkmark$ Spread uniformly over space - evenly over the watershed
$\checkmark$ Uniformly in time - the excess rate is constant over the time interval
$\checkmark$ There is a given duration pertaining to the storm - NOT the duration of flow!

## Derived Unit Hydrograph



Note: The baseflow shown here (and separated in next slide) was identified using a different graphical method). For the course - keep the baseflow separation simple to 'flat rate deduction' or the N=Ad0. 2 approach)

## Derived Unit Hydrograph



## 께ा\| \||| Using a UH

- Remember what we covered in class last time on how to predict direct runoff from a storm of given duration and depth of excess precipitation provided you knew the UH for the same duration of the storm:
"The direct runoff from a 2 hour storm with 2 units of excess rainfall shall be twice as much as the direct runoff from a 2 hour storm with 1 unit of excess rainfall"



## Changing the Duration of UH

$\square$ Very often, it will be necessary to change the duration of the unit hydrograph. Storms occur in all shapes (rainfall amount) and sizes (durations)
$\square$ The most common method of altering the duration of a unit hydrograph is by the S-curve method.
$\square$ The S-curve method involves continually lagging a unit hydrograph by its duration and adding the ordinates.
$\square$ For the present example, the 6-hour unit hydrograph is continually lagged by 6 hours and the ordinates are added.

S-Curve: You

## Develop S-Curve

 get this by adding theordinates of
multiple 6 hr
UHs below

## Convert to 1-Hour Duration

1. To arrive at a 1-hour UH from a given 6 hour UH, two S-curves are lagged by 1 hour from each other and the difference between the two lagged S-curve (ordinates) is calculated for every timestep.
2. However, because the S-curve was formulated from unit hydrographs having a 6 hour duration of uniformly distributed precipitation, the hydrograph resulting from the subtracting the two S-curves will be the result of $1 / 6$ of an inch of precipitation.
3. Thus the ordinates of the newly created 1-hour DR hydrograph in step 1 must be multiplied by 6 in order to be a true unit hydrograph to get the final 1 hr UH .
4. The 1-hour UH should have a higher peak which occurs earlier than the 6-hour unit hydrograph. Does this make sense ? You are having the same amount of excess rainfall but in a shorter period so the storm is more intense and hence creates runoff faster.

## Final 1-hour UHG



## Steps for Changing duration of UH

Suppose you are asked to change the duration of a given 2 hour UH to a 6 hour UH. Let $\mathrm{tr}=2 \mathrm{hr}$ (original duration) and $\mathrm{trb}=6 \mathrm{hr}$ (required duration).

1. First lag a minimum of tb/tr number of 2 hour UHs. So suppose, tb (time base of flow) is 12 hours, then in this case you should lag at least 12/2=6 2 hour UHs. Round off this number to the nearest higher integer.
2. Next, add all the ordinates as a function of time. You should get an S-type shape where the flow will reach a steady-state and saturated value. In exam, step\#1 is very handy to save time. And the moment you get your highest flow value, that can be your S-curve peak value that you can maintain from thereafter.
3. Now lag two S-curves (derived in step\#2) by duration trb (6 hour). And then subtract the ordinates.
4. Step \#3 will give you a DRH for a trb duration storm. Multiply the ordinates by tr/trb to get your 6 hour UH from the given 2 hr UH.

## Synthetic UHs

$\square$ Snyder (this is good enough for course)
$\square$ SCS
$\square$ Time-area

## Snyder

$\square$ Since peak flow and time of peak flow are two of the most important parameters characterizing a unit hydrograph, the Snyder method employs factors defining these parameters, which are then used in the synthesis of the unit graph (Snyder, 1938).
$\square$ The parameters are $C_{p}$, the peak flow factor, and $C_{t}$, the lag factor.
$\square$ The basic assumption in this method is that basins which have similar physiographic characteristics are located in the same area will have similar values of $C_{t}$ and $C_{p}$.
$\square$ Therefore, for ungaged basins, it is preferred that the basin be near or similar to gaged basins for which these coefficients can be determined.


## Basic Relationships

$$
t_{L A G}=C_{t}\left(L \bullet L_{c a}\right)^{0.3}
$$


$t_{\text {all.lag }}=t_{\text {LLAG }}+0.25\left(t_{\text {alt.taraction }}-t_{\text {duration }}\right)$

$$
t_{\text {base }}=3+\frac{t_{L A G}}{8}
$$



## Tוा||||||| Significance of Unit Hydrograph

$\square$ Watersheds response to a given amount of excess precipitation is just a multiplier of the unit hydrograph
$\square$ Use unit hydrograph as a basis to determine the storm hydrograph from any given rainfall distribution

## Example

$\square$ Given the following rainfall distribution

| Time | Precipitation |
| :---: | :---: |
| 1 | 0.5 |
| 2 | 3 |
| 3 | 1.5 |
| 4 | 0.2 |

$\square$ The watershed will respond as follows

## Example

|  |  |
| :---: | :---: |
| Time (hr) | Precipitation |
| 1 | 0.5 |
| 2 | 3 |
| 3 | 1.5 |
| 4 | 0.2 |

For hour 1: multiply your 1 hr UH by 0.5 and plot it starting at $\mathrm{t}=1 \mathrm{hr}$

Incremental Storm Hydrographs

For hour 2: multiply your 1 hr UH by 3 and plot it starting at $\mathrm{t}=2 \mathrm{hr} . \ldots$. And so on

## Example

Now add all your ordinates to get the final DRH - shown here by the tallest DRH.

This is the DRH you will get from the storm of 4 hours with variable intensity

Incremental + Final Storm Hydrograph


