

UNIT-1

(Lecture-8)

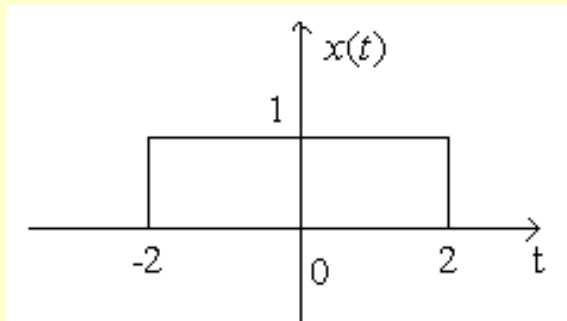
General Characteristics of Signals

Operations of Signals

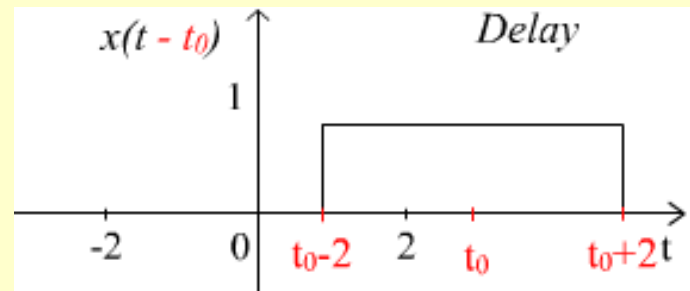
- Sometime a given mathematical function may completely describe a signal .
- Different operations are required for different purposes of arbitrary signals.
- The operations on signals can be
 - Time Shifting
 - Time Scaling
 - Time Inversion or Time Folding

Time Shifting

- The original signal $x(t)$ is shifted by an amount t_0 .

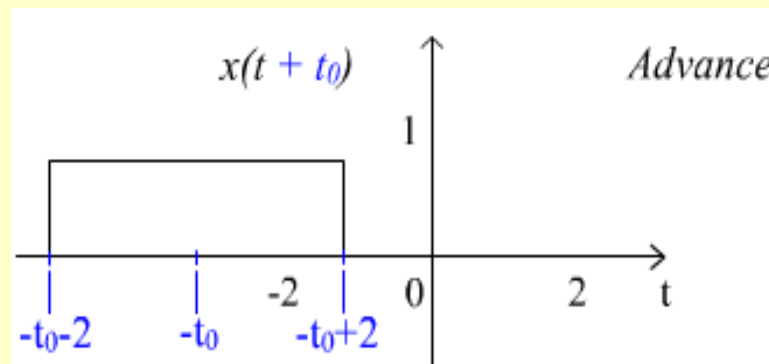


- $X(t) \rightarrow X(t-t_0) \rightarrow$ Signal Delayed \rightarrow Shift to the right



Time Shifting Contd.

- $X(t) \rightarrow X(t+t_0) \rightarrow$ Signal Advanced \rightarrow Shift to the left

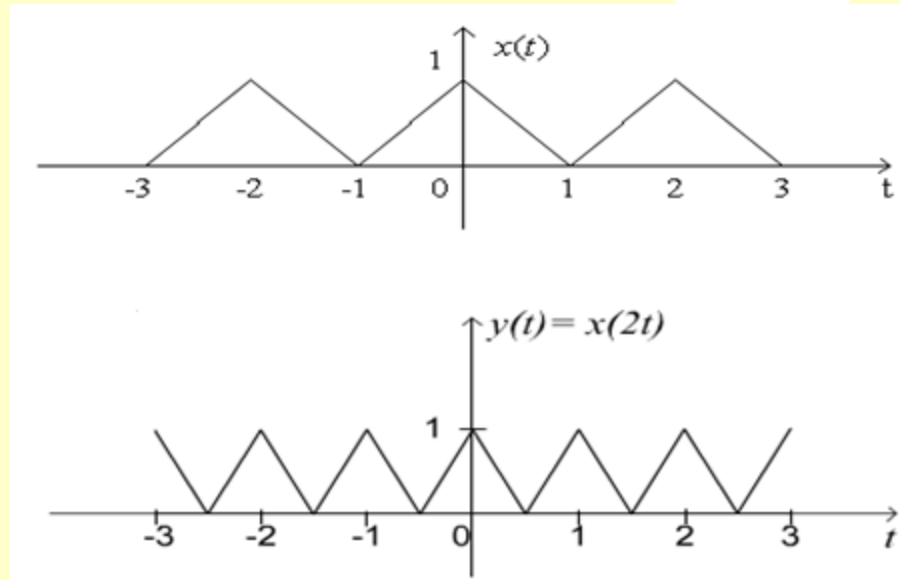


Time Scaling

- For the given function $x(t)$, $x(at)$ is the time scaled version of $x(t)$
- For $a > 1$, period of function $x(t)$ reduces and function speeds up. Graph of the function shrinks.
- For $a < 1$, the period of the $x(t)$ increases and the function slows down. Graph of the function expands.

Time scaling Contd.

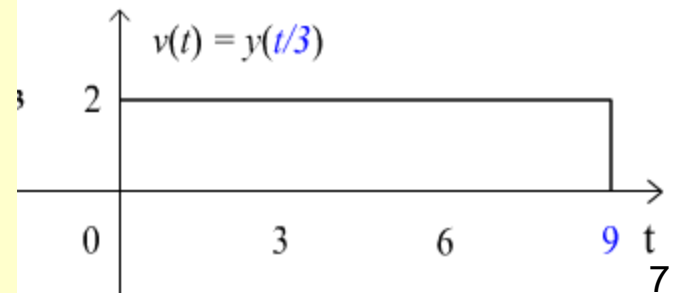
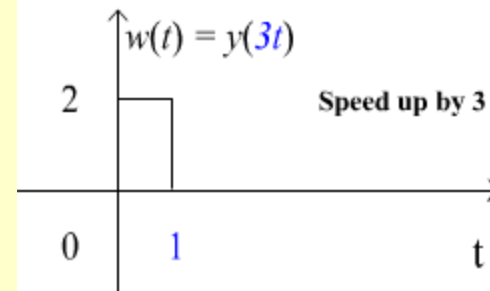
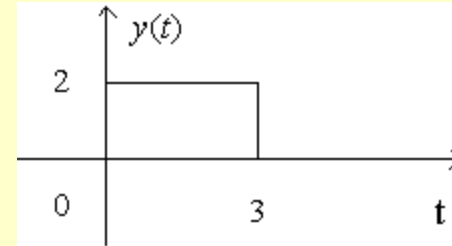
Example: Given $x(t)$ and we are to find $y(t) = x(2t)$.



The period of $x(t)$ is 2 and the period of $y(t)$ is 1,

Time scaling Contd.

- Given $y(t)$,
 - find $w(t) = y(3t)$
and $v(t) = y(t/3)$.

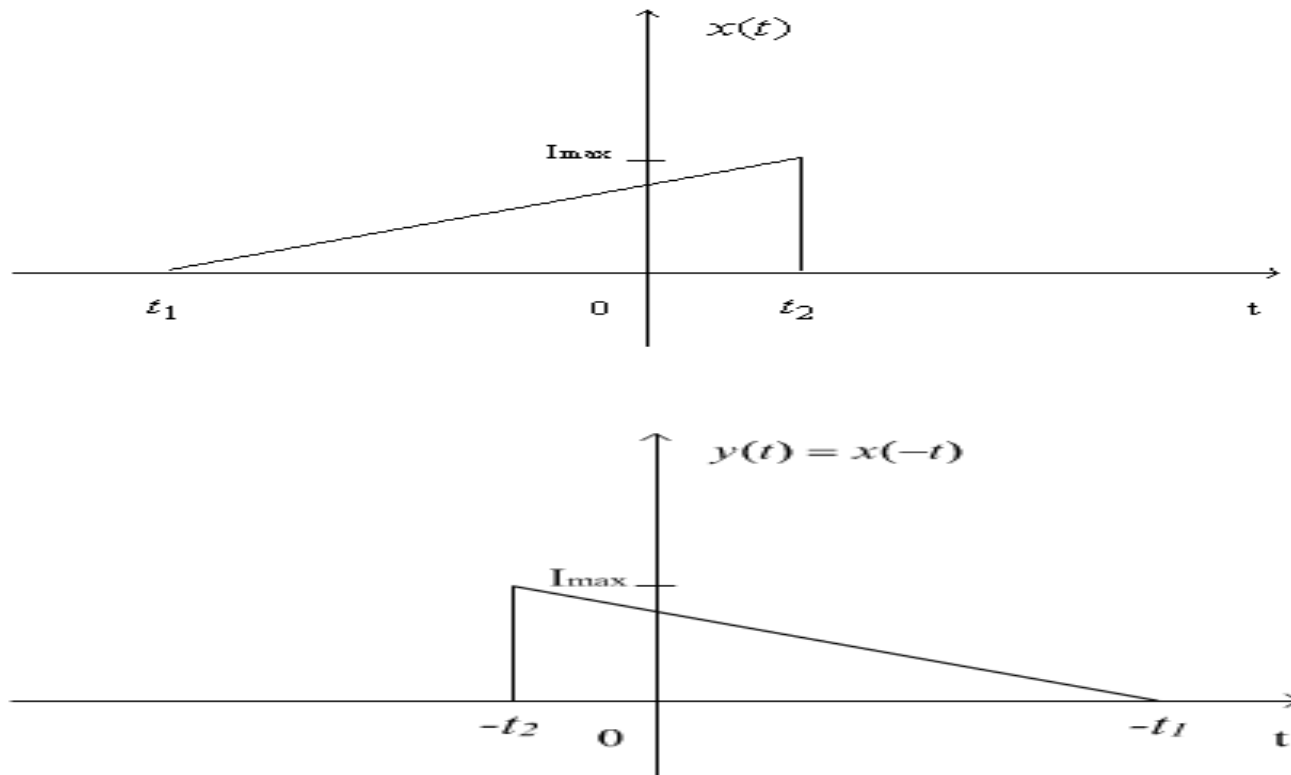


Time Reversal

- Time reversal is also called time folding
- In Time reversal signal is reversed with respect to time i.e.

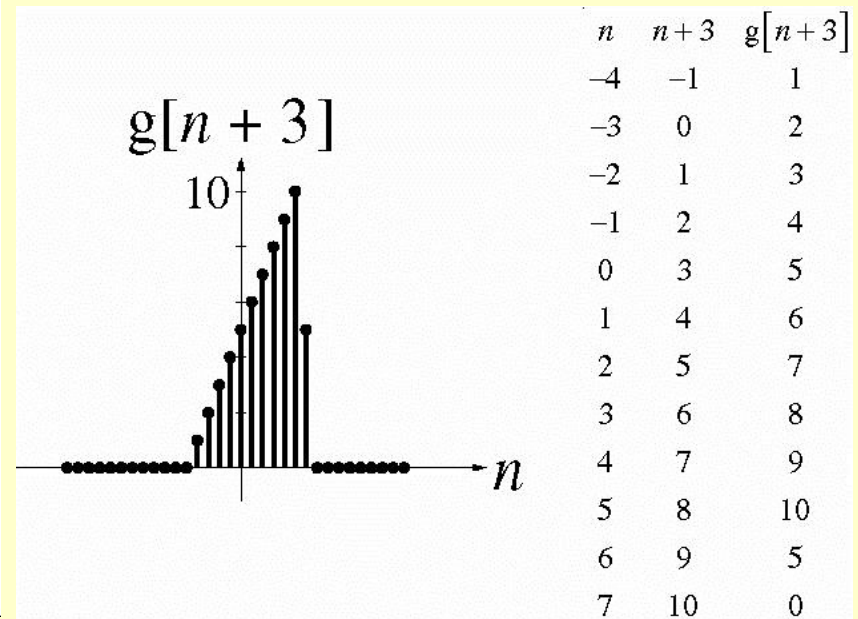
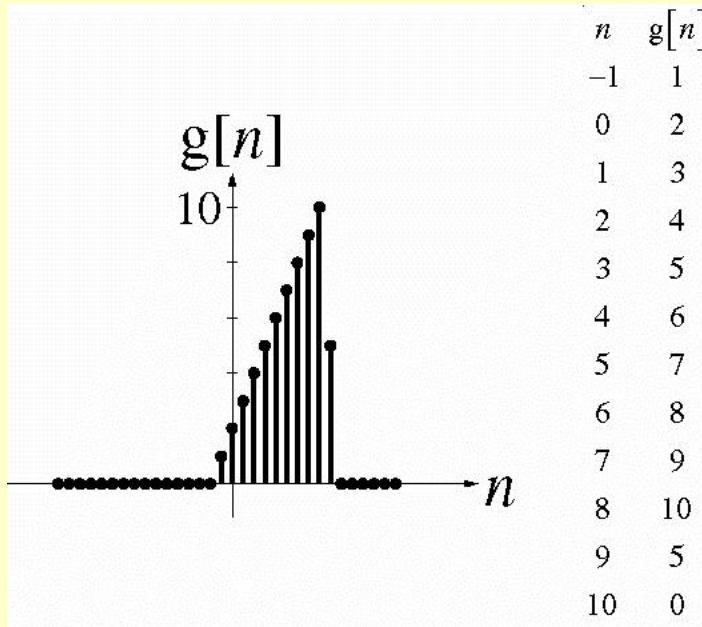
$y(t) = x(-t)$ is obtained for the given function

Time reversal Contd.



Operations of Discrete Time Functions

Time shifting $n \rightarrow n + n_0, n_0$ an integer



Operations of Discrete Functions Contd. Scaling; Signal Compression

$n \rightarrow Kn$ K an integer > 1

