Single-phase AC voltage controller





 $\boldsymbol{0} \leqslant \boldsymbol{\alpha} \leqslant \ \boldsymbol{\pi}$



• Resistive load, quantitative analysis

RMS value of output voltage

$$U_{\rm o} = \sqrt{\frac{1}{\pi} \int_{\alpha}^{\pi} \left(\sqrt{2} U_1 \sin \omega t \right)^2 d(\omega t)} = U_1 \sqrt{\frac{1}{2\pi} \sin 2\alpha} + \frac{\pi - \alpha}{\pi} \qquad (4-1)$$

RMS value of output current

$$I_{\rm o} = \frac{U_{\rm o}}{R} \tag{4-2}$$

RMS value of thyristor current

$$I_T = \sqrt{\frac{1}{2\pi} \int_{\alpha}^{\pi} \left(\frac{\sqrt{2}U_1 \sin \omega t}{R}\right)^2 d(\omega t)} = \frac{U_1}{R} \sqrt{\frac{1}{2} \left(1 - \frac{\alpha}{\pi} + \frac{\sin 2\alpha}{2\pi}\right)}$$
(4-3)

Power factor of the circuit

$$\lambda = \frac{P}{S} = \frac{U_{o}I_{o}}{U_{1}I_{o}} = \frac{U_{o}}{U_{1}} = \sqrt{\frac{1}{2\pi}\sin 2\alpha + \frac{\pi - \alpha}{\pi}}$$
(4-4)

Inductive (Inductor- resistor) load , operation principle



The phase shift range:

$$\phi \leq \alpha \leq \pi$$



Inductive load, quantitative analysis

Differential equation



The RMS value of output voltage, output current, and thyristor current can then be calculated.

4.1.2 Three-phase AC voltage controller

Classification of three- phase circuits



Y connection



Branch-controlled Δ connection

 $n \xrightarrow{i_a} u_a$

Line- controlled Δ connection



Neutral-point controlled Δ connection

• 3- phase 3- wire Y connection AC voltage controller



For a time instant, there are 2 possible conduction states:

- -Each phase has a thyristor conducting. Load voltages are the same as the source voltages.
- -There are only 2 thyristors conducting, each from a phase. The load voltages of the two conducting phases are half of the corresponding line to line voltage, while the load voltage of the other phase is 0.